

2016 Preliminary Examination H1 Paper 1 Solutions

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
D	A	C	A	D	B	D	B	B	A	C	C	D	A	D
16	17	18	19	20	21	22	23	24	25	26	27	28	29	30
C	C	C	A	B	C	C	D	A	A	D	B	D	C	A

- 1 D V_m = volume per unit mol
 \rightarrow unit of b = unit of V_m = $\text{m}^3 \text{mol}^{-1}$
 Unit of $[a/V_m^2]$ = unit of P = Pa
 \rightarrow Unit of a = $\text{Pa} (\text{m}^3 \text{mol}^{-1})^2 = \text{Pa m}^6 \text{mol}^{-2}$
- 2 A Average = $(7.6 + 7.5 + 7.8 + 7.4 + 7.6) / 5 = 7.6 \text{ cm}$.
 True value given = 7.5 cm, so average value of 7.6 cm is accurate to within 0.1 cm.
 The 5 values are not precise to within 0.1 cm as there is a spread of values from 7.4 cm to 7.8 cm.
- 3 C A: In the measurement of the diameter of a sphere, take more readings and finding the average value of these readings will help to reduce the ~~fractional uncertainty of the diameter~~. (random error)
 B: Plotting a graph of voltage and current readings for an ohmic conductor and using its gradient to find resistance will help to ~~eliminate~~ (reduce/minimize) random error.
 D: Checking for zero error on a voltmeter before measuring voltage will help to ~~reduce random error~~ (eliminate systematic error).
- 4 A
$$g = \frac{4\pi^2 l}{T^2} = \frac{4\pi^2 (0.500)}{(1.42)^2} = 9.789 \text{ m s}^{-2}$$

$$\frac{\Delta g}{g} = \frac{\Delta l}{l} + 2 \frac{\Delta T}{T}$$

$$\Delta g = \left[\frac{0.001}{0.500} + 2 \left(\frac{0.02}{1.42} \right) \right] \times 9.789 = 0.295 = 0.3 \text{ m s}^{-2} \text{ (to 1 sf)}$$

$$g = (9.8 \pm 0.3) \text{ m s}^{-2}$$
- 5 D Taking upwards as positive, since net force is weight downwards, by N2L, acceleration is constant g value, downwards (negative constant value)
 At rebound, there is a sharp positive peak as there is sudden impulsive force acting upwards on the ball within a short time of impact
 As the ball is moving upwards after rebound, the net force is still weight downwards
 \rightarrow acceleration is still negative constant value.
- 6 B When body moving upwards, net force is downwards = $W + \text{drag force} = ma$, deceleration $a > g$
 When body is at maximum height, velocity = 0, net force is downwards = W ; $a = g$
 When body is moving downwards, net force is downwards = $W - \text{drag force} = ma$ such that acceleration downwards $a < g$
 So, value of acceleration downwards $<$ value of deceleration upwards
 \rightarrow time taken downwards $>$ time taken upwards

- 7 D For X:
applying $v = u + a t$ in the vertical direction:

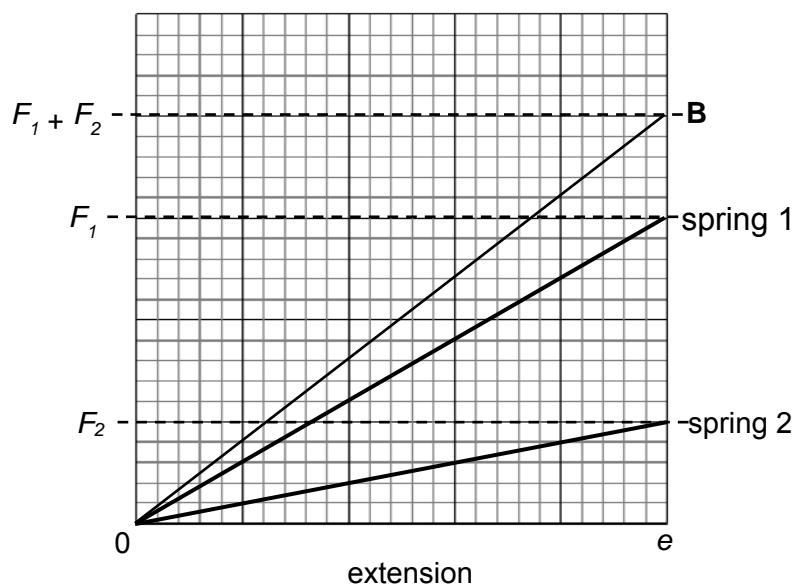
$$0 = u \sin \theta - g t \quad \text{Hence } t = \frac{u \sin \theta}{g}$$

Similarly for Y:

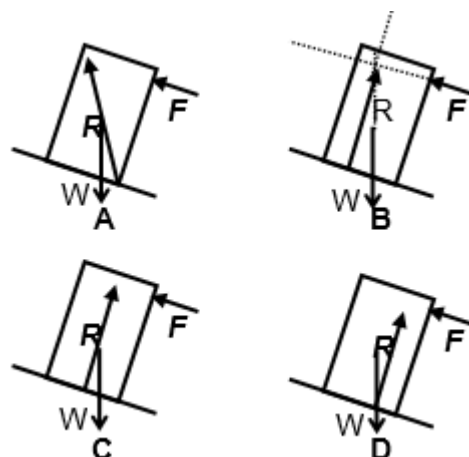
$$\text{Time to reach max height} = \frac{(2u) \sin \theta}{g} = 2 t$$

Since horizontal velocity for Y is $2 u \cos \theta$ (or 2 times that of X) and time taken for Y to reach max height is twice that for X, horizontal displacement of Y at max height is 4 times that of X.

- 8 B When joined in parallel, both springs would have the same extension, but the applied force would be shared between them. So if the extension is e , spring 1 would be supporting F_1 and spring 2 would be supporting F_2 . The applied force is thus $(F_1 + F_2)$.

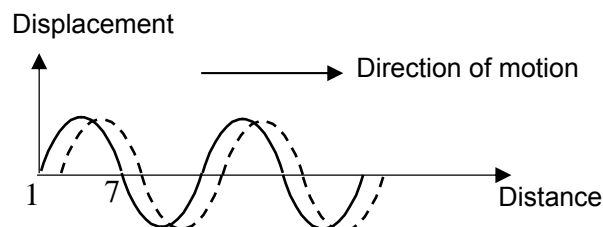


- 9 B The weight of the block has to be included.
Since there are three forces on the block, the forces should be concurrent.



- 10 A The net force is $-mg \sin \theta$ is a constant. So the net force = rate of change of momentum = slope = constant
- 11 C Use relative speed of approach = relative speed of separation $[6-1 = 2-(-3)]$, as well as conservation of ke .
The incorrect answer A also fulfils the relative speed equation, but because M is heavier, the system seems to have an increase in ke after the collision.

- 12 C Initially, when $v=0$, viscous force is zero. Since $mg = ma$, the initial acceleration is g for both masses.
Viscous force is proportional to speed v . At terminal speed, $mg = kv$, if mass is large, terminal velocity is large.
- 13 D Pressure $P = h\rho g$, so $dP/dh = \rho g = 1000 \times 9.81 = 10^4 \text{ Pa m}^{-1}$
- 14 A at initial angle 45° , the initial horizontal velocity = vertical velocity, i.e. $u_x = u_y$.
at any instant $GPE = mgh$. Since $h = u_y t - \frac{1}{2}gt^2$, so $PE = mg(u_y t - \frac{1}{2}gt^2)$,
at any instant $KE = \frac{1}{2}mv^2 = \frac{1}{2}m(v_x^2 + v_y^2)$ and $v_y = u_y - gt$,
so KE decrease, then increase quadratically with t .
At maximum height, both KE and PE are equal at $\frac{1}{2}mu_x^2$
- 15 D By definition, work done by force $F = \text{force } F \times \text{displacement in the direction of force } z$
- 16 C Power $P = \text{Force} \times \text{distance/time} = \text{force} \times \text{velocity}$
- 17 C Taking to the right to be +ve displacement,



At the next instant of time, particle 1 has -ve displacement (which means it is moving to the left) while particle 7 has +ve displacement (which means it is moving to the right)

- 18 C Period T of the wave = $\frac{1}{f} = \frac{1}{12.5} = 0.08 \text{ s}$
Since the wave is moving to the right, Q will be moving upwards in the next instant of time.
Hence, shortest time taken for Q to move to zero position =
 $\frac{3}{8} \times T = \frac{3}{8} \times 0.08 = 0.03 \text{ s}$
- 19 A $I = ka^2$
 $a' = a \cos 60^\circ = 0.50a$
 $I' = k(0.50a)^2 = 0.25ka^2 = 0.25I$
- 20 B Using pythagoras theorem = path length $L_2 D = (40^2 + 9^2)^{1/2} = 41 \text{ m}$
Path difference between $L_1 D$ and $L_2 D = 41 - 40 = 1 \text{ m}$
 $v = f\lambda$
For 1st maximum, path difference = $1\lambda \Rightarrow \lambda = 1 \text{ m}$
 $330 = f\lambda = f(1)$
 $f = 330 \text{ Hz}$
- 21 C Point X is a node. At one particular instant of time, particles on the left of X will move to the right while particles on the right of X will move to the left, producing a region of compression at X. At another instant of time, particles on the left of X will move to the left while particles on the right of X will move to the right, producing a region of rarefaction at X.
- 22 C Power = Energy/time = $120/2.0 = 60 \text{ W}$
A is wrong since current $I = P/V = 60/120 = 0.5 \text{ A} = 0.5 \text{ Cs}^{-1}$
B is wrong since 120 V means 120 J delivered for each Coulomb of charge
D is wrong. It should be 60 J per second when current is 2.0 A

- 23 D The resistance at 1.2 V is $0.4 \times 10^3 \Omega$, not 0.4Ω
The trend of the graph shows that as V increases, current I increases sharply, so ratio V/I decreases

- 24 A When pd is applied across BD,
combined resistance across BD, $R_{BD} = 20/3 \Omega$
When pd is applied across AB,
combined resistance in branches BD and BCD = $20/2 = 10 \Omega$
Add to branch AD which is in series = $10 + 10 = 20 \Omega$
Combined resistance across AB = $(1/10 + 1/20)^{-1} = 20/3 \Omega$

This is same as R_{BD} in the previous case.
Since power to circuit, $P = V^2/R \rightarrow P_{BD} = P_{AB}$

- 25 A Original distribution of resistance across the two loops in the circuit is $R/2$ to $R/2$ i.e. 1:1. The new distribution is R to $R/2$ i.e. 2:1.
Due to the new distribution of resistance, the voltage across X will increase ($2/3 V$) and the voltage across Y and Z will decrease ($1/3 V$). Since current is V/R , and R is constant, the increase in voltage across X will cause an increase in current through X while the decrease in voltage across Y and Z will cause a decrease in current through Y & Z.

- 26 D Using LHR, for the magnetic force on the wire to be downwards, the magnetic field must be towards the right.

- 27 B Use the Right Hand Grip for current in wire X to find the magnetic field at P and Q, then use the LHR to find the forces at P and Q.

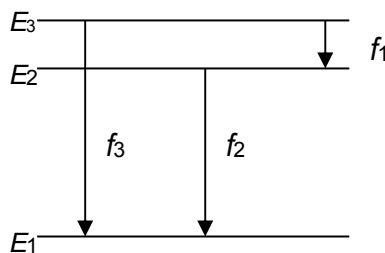
- 28 D $hf = \phi + K \dots\dots(1)$
 $h(2f) = \phi + K' \dots\dots(2)$

$$2(\phi + K) = \phi + K'$$

$$K' = \phi + 2K$$

$$> 2K$$

- 29 C



$$E_3 - E_1 = hf_3; \quad E_3 - E_2 = hf_1; \quad E_2 - E_1 = hf_2$$

$$E_3 - E_1 = (E_3 - E_2) + (E_2 - E_1)$$

$$hf_3 = hf_1 + hf_2$$

- 30 A Decrease in electron's KE is transferred to the atom, exciting it. This is subsequently released as a photon when the atom de-excites.
Thus $\frac{1}{2} m(u^2 - v^2) = hf$.