



# Writing recurrence relations in symbolic form

Year 11 General Maths  
Units 1 and 2

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## Learning Objectives

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By the end of the lesson I would hope that you have an understanding and be able to apply to questions the following concepts:

- To be able to number and name terms in a sequence
- To be able to general a sequence from a recurrence relation



## Recap

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In the last lesson we looked at what a sequence is (a list of numbers which follows some rule) and how to create one (given a start number and the rule).

Mathematics is filled with notation. Using the correct notation allows us to communicate effectively and ensure we don't get confused. Sadly, sometimes, the notation confuses us. But, this is where this lesson will come in handy to unfog the language we're going to use.

$-2$

10 12 14 16 18 ...



## The positions of a number in a list can be numbered

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Like standing in the lunch queue waiting to be served nuggets and chips, order is important. Each person has their place and, if I wanted to, I could number each person in the queue.

A sequence is just a queue of numbers. And each place in the queue has a number.

The first number in a queue is generally given the number '0'.

The second number in the queue is generally given the number '1'.

And so it continues.

Because we use algebra to make things a little clearer we can use the following notation to stand for the **position of each of the numbers**:

$t_0, t_1, t_2, t_3, t_4, \dots$

$t_0, t_1, t_2, t_3, \dots$



## The positions of a number in a list can be numbered

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So, for the sequence 54, 50, 46, 42, 38, 34, 30, 26, ... we can see it can be expressed as:

Term number	0	1	2	3	4	5	6	7
Term symbol	$t_0 = 54$	$t_1 = 50$	$t_2 = 46$	$t_3 = 42$	$t_4 = 38$	$t_5 = 34$	$t_6 = 30$	$t_7 = 26$
Term name	term 0	term 1	term 2	term 3	term 4	term 5	term 6	term 7



## Example

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For the sequence: 54, 50, 46, 42, 38, 34, 30, 26, ... , state the values of:

- a  $t_2$
- b  $t_5$
- c  $t_7$

54   50   46   42   38   34   30   26  
 $t_0$     $t_1$     $t_2$     $t_3$     $t_4$     $t_5$     $t_6$     $t_7$

$$t_2 = 46 \quad t_5 = 34 \quad t_7 = 26$$



## Recurrence relations

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It is really important that you understand the difference between a recurrence relation and a rule.

A recurrence relation tells you what number to start a sequence from and how to get from term to term.

A rule tells you how to get a sequence from the **position** a number occupies in a list.

So, if I am told to start from 2 and add two to the current term, this is a recurrence relation.

There is a short cut (mathematical notation) which allows us to write this simpler:

term to term

$$t_0 = 2$$

$$t_0 = 2, \quad t_{n+1} = t_n + 2$$

Add two

Take the current term

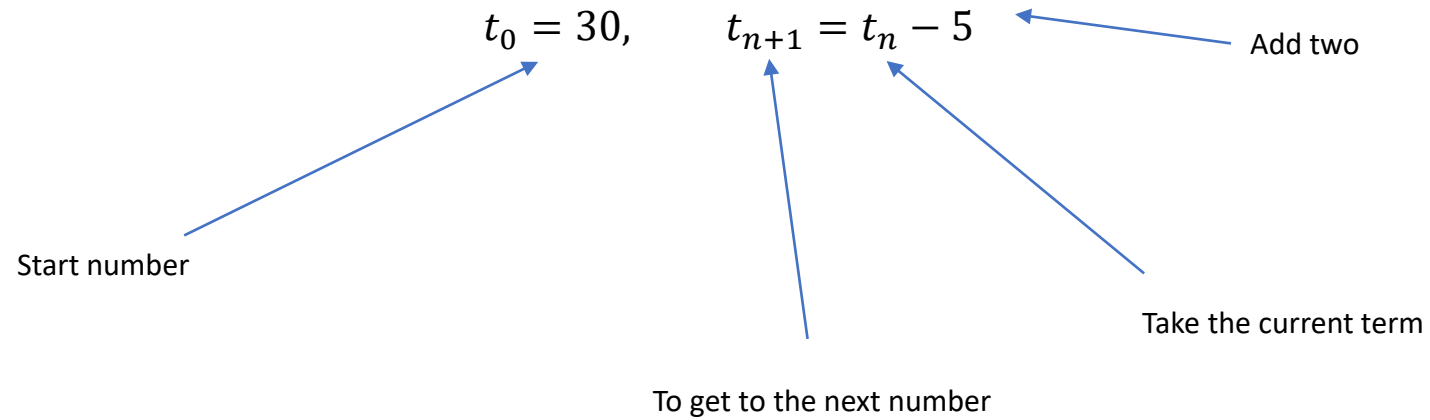
To get to the next number

2 4 6 8



## Example: Recurrence relationship

Write down the first five terms of the sequence defined by the recurrence relation:



30   25   20   15   10





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